

# Is the chromospheric transition region stable?

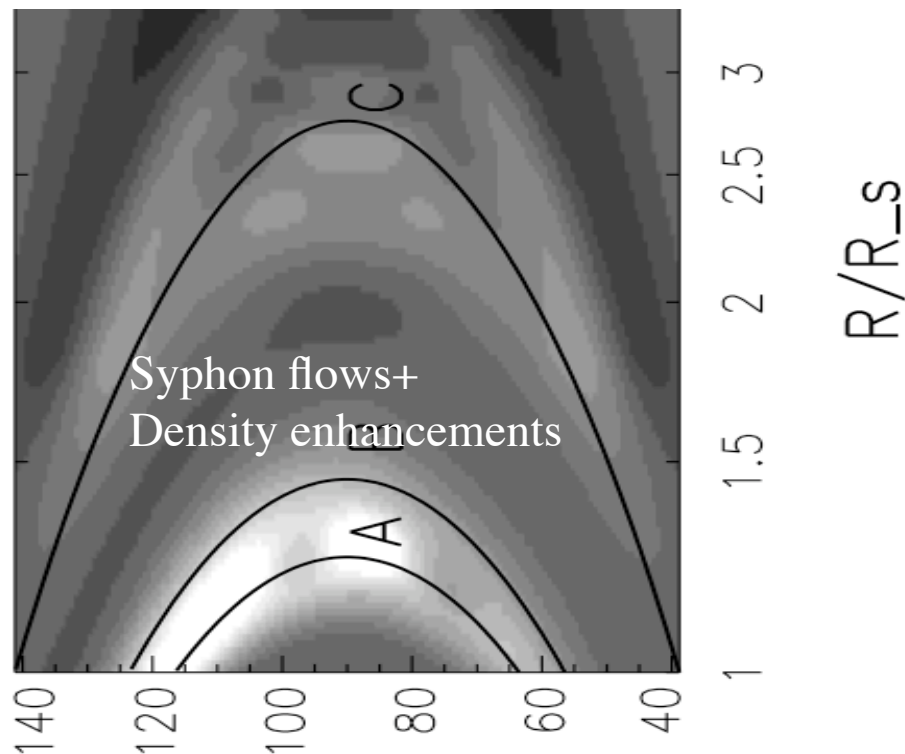
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How does the chromospheric transition region (TR) react to impinging waves (from above or below)? How are they transmitted or reflected?

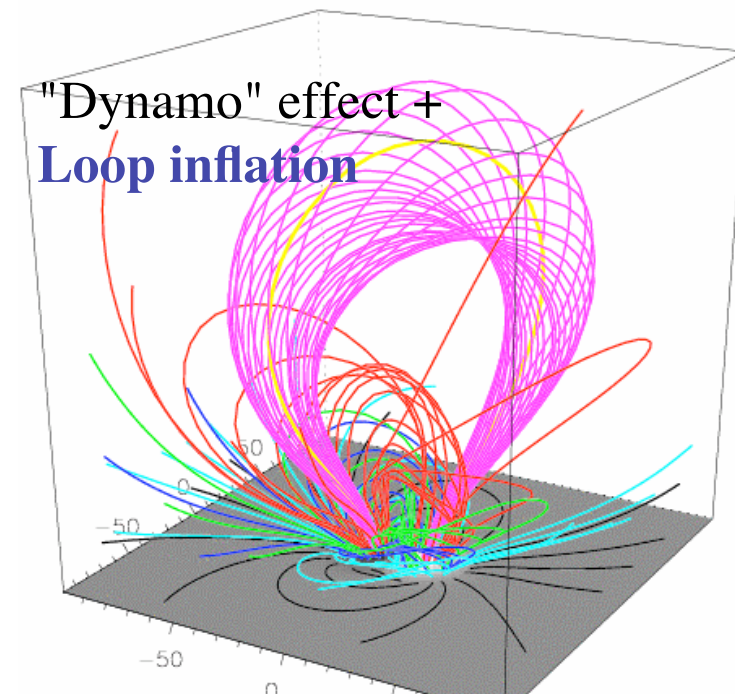
What kind of boundary is it ? Passive or active, transparent or reflective?

## Motivation: The boundary condition dilemma

Axisymmetric MHD solar wind model  
(Grappin Léorat Habbal 2003, 2005)



3D MHD,  $\beta=0$   
(Aulanier, Démoulin Grappin 2005)



(1) Twisting footpoints "transparent"

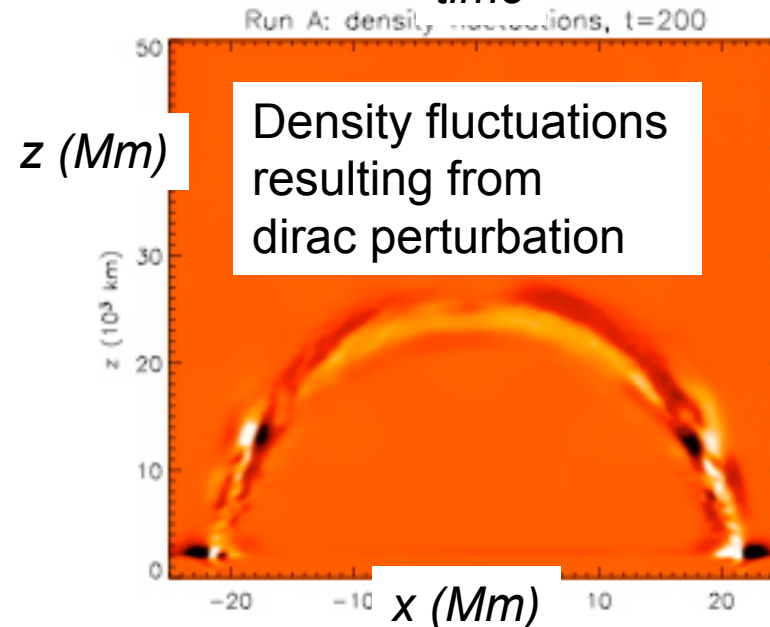
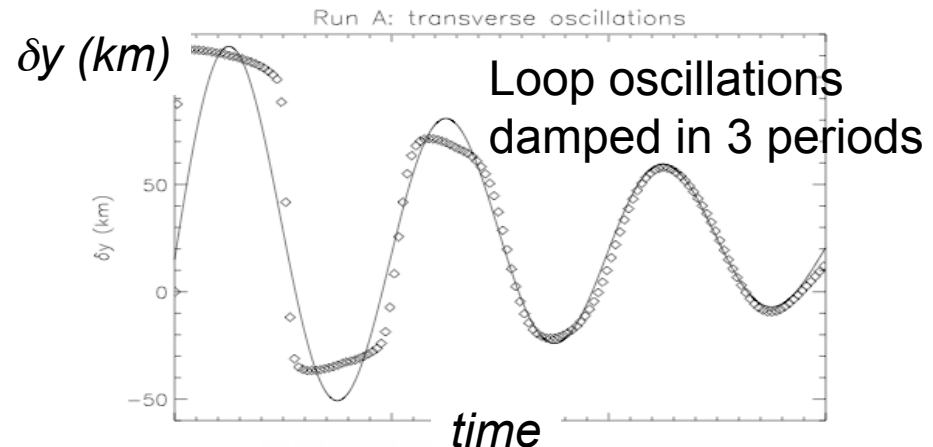
(2) Twisting footpoints "line-tied"

## Is the "surface" transparent or rigid/reflective?

- *del Zanna et al 2005* simulation of a loop system with transition region (with *limited* oscillations)

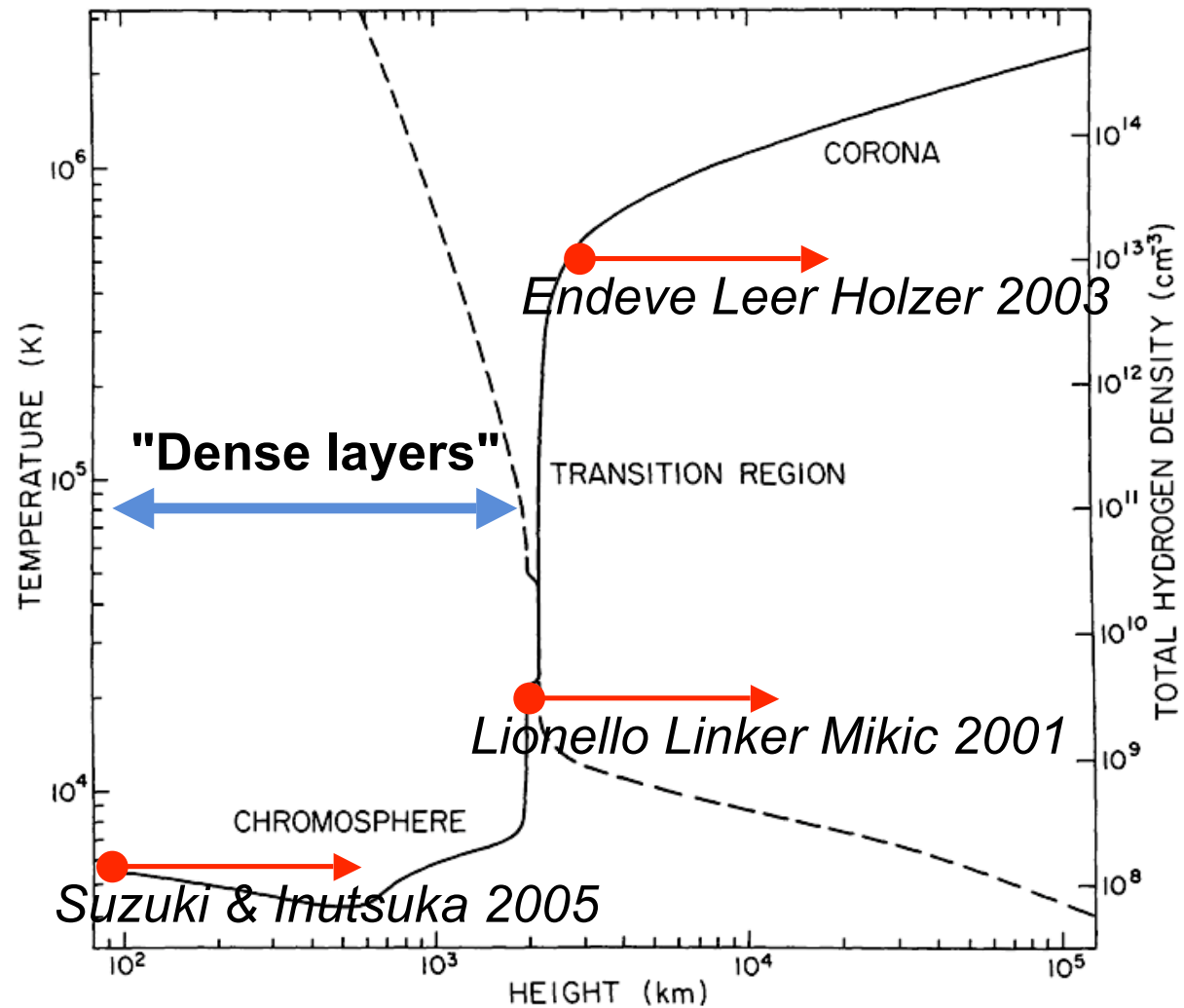
=> Loop oscillations damped in 3 periods

...how much does *TR* reflectivity depend on the detailed model ?



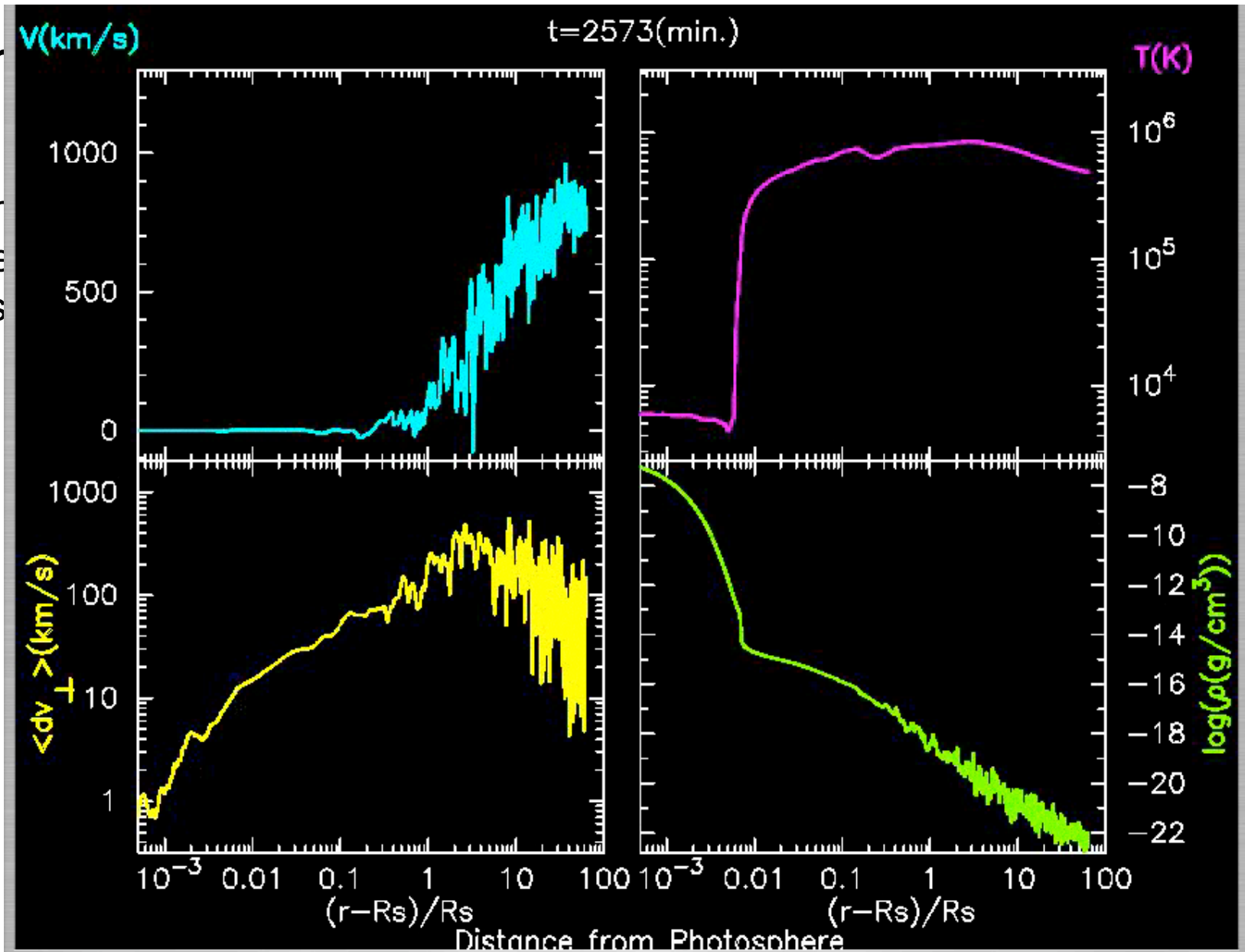
## Solution: transition layer AND wind

How to include  
the denser  
layers?



Tr

How to in  
the de  
layers



## Suzuki & Inutsuka: the example to follow?

Suzuki & Inutsuka:  $N=14000$  grid points

=> impossible to generalize to 2D/3D

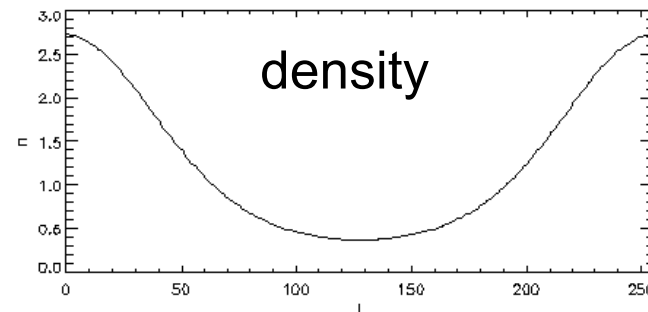
=> *same with  $N = 300$  points ?*

*Let us try (begin to try...)*

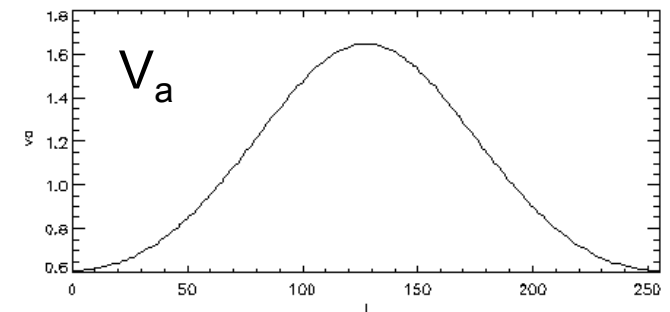
# First try closed loop model with smooth stratification

Toy loop model: 1D domain, with (//) gravity changing sign

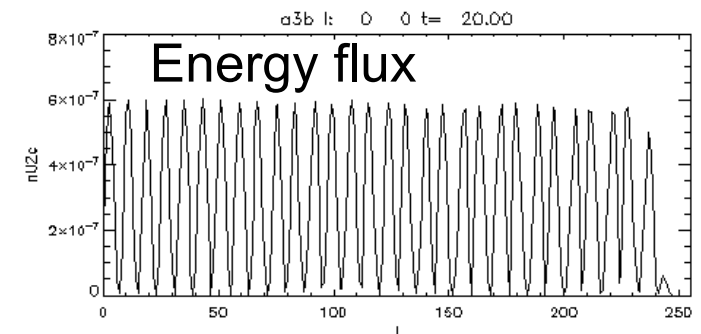
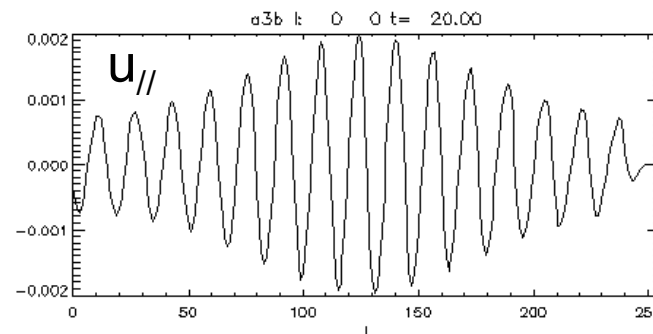
Foot point 1



Foot point 2

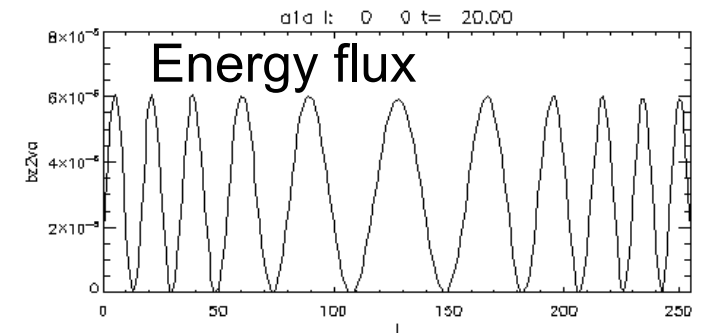
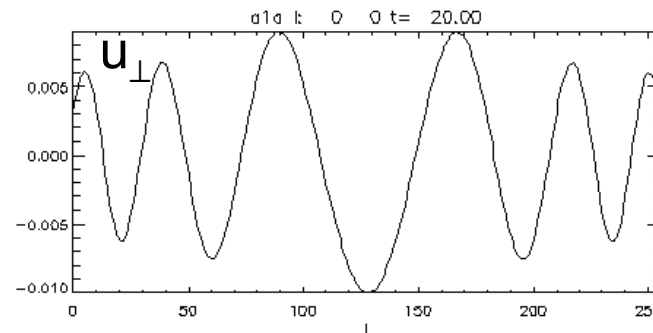


a) Injecting sound wave ==>



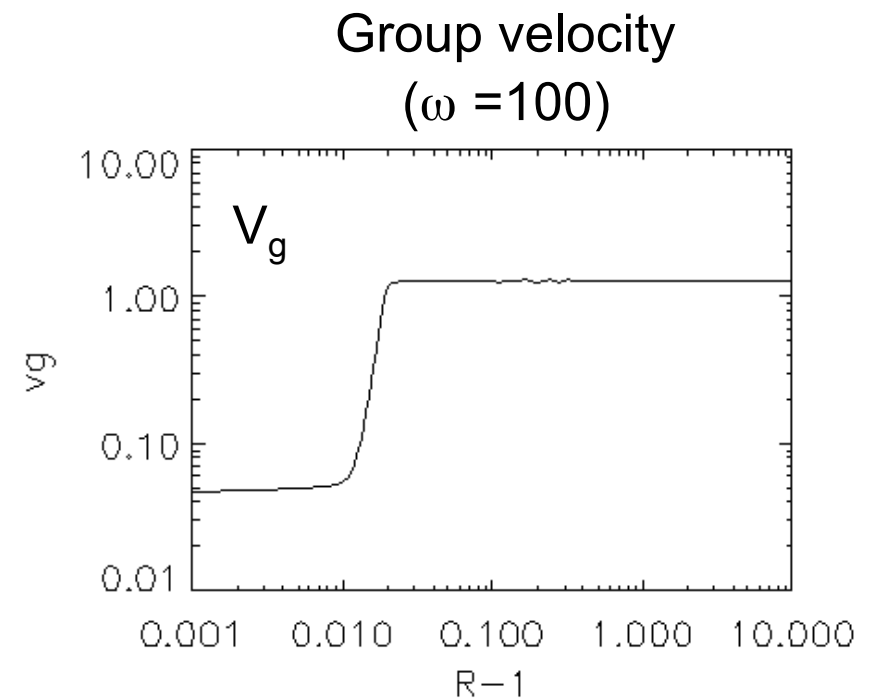
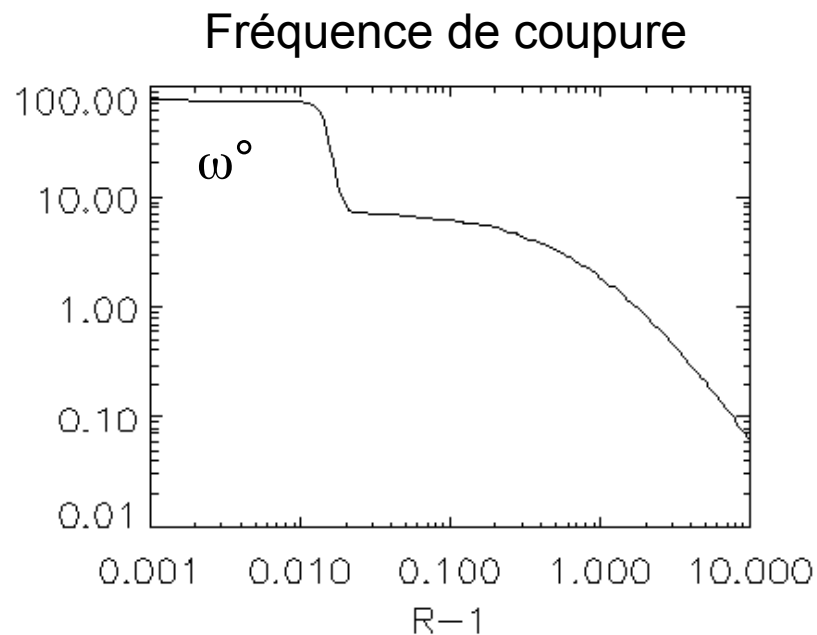
b) inj. CPolarized Alfvén wave==>

=> Energy flux conservation in both cases



## Now build open loop with strong stratification (no B field)

Atmosphere with two temperatures:  
0.01 MK, 1 MK





## inject pressure waves in open loop

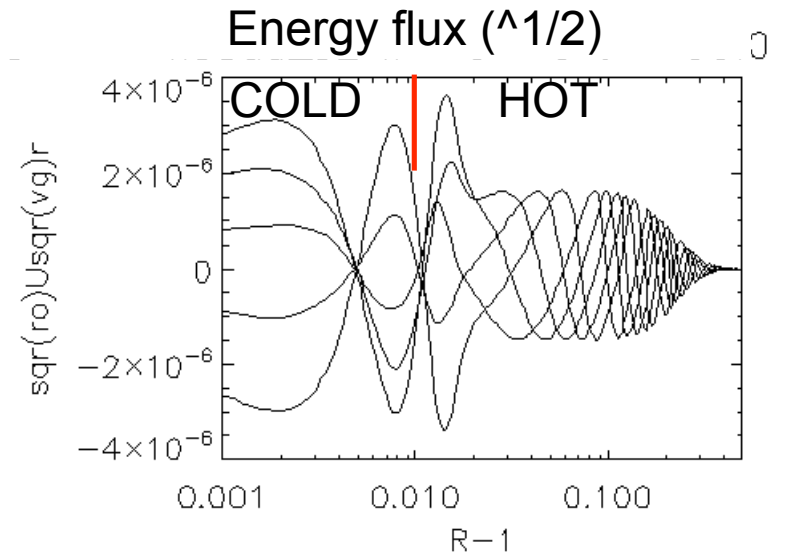
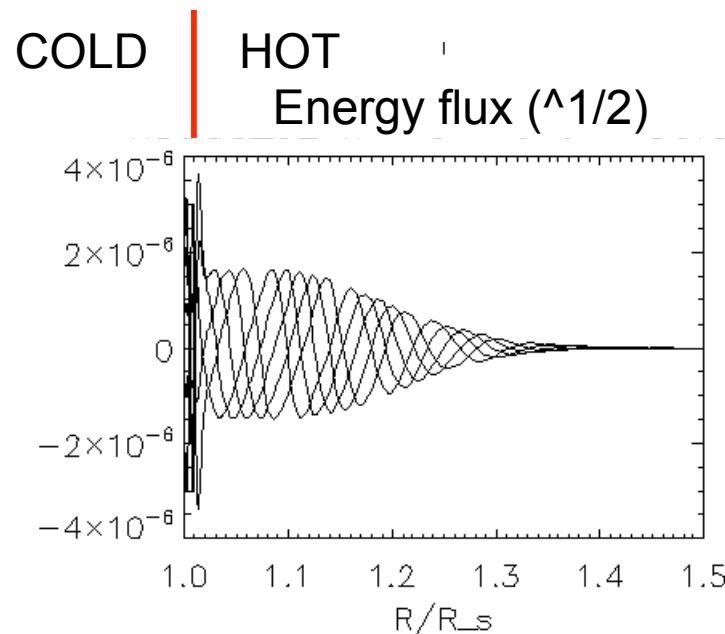
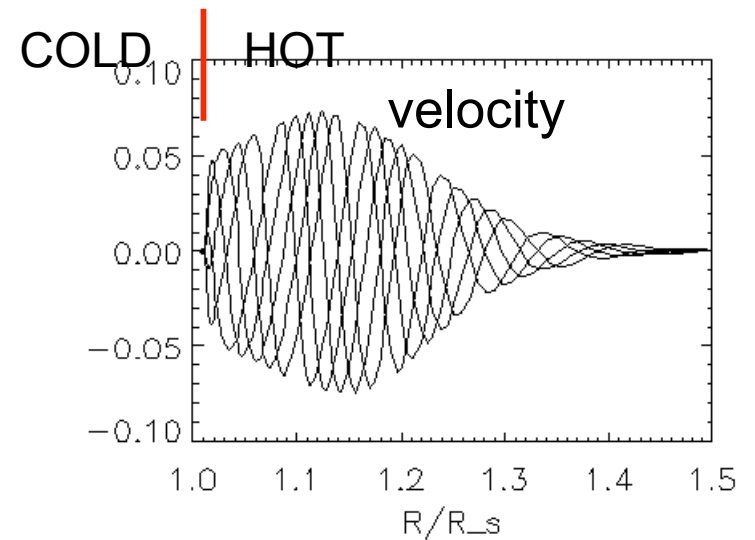
Injecting wave

with frequency 100

(propagative everywhere)

=> Constant energy flux in cold zone

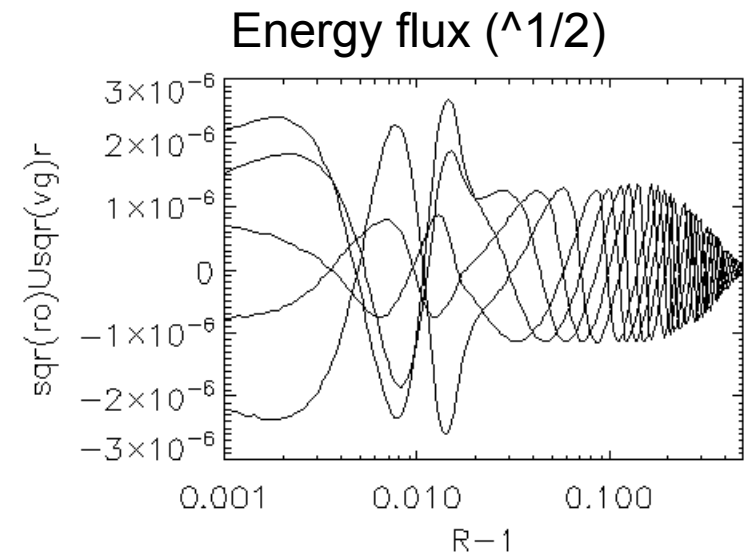
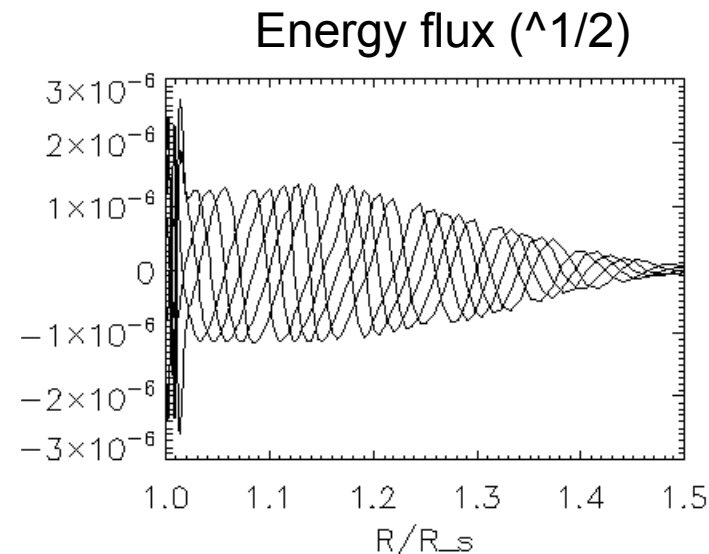
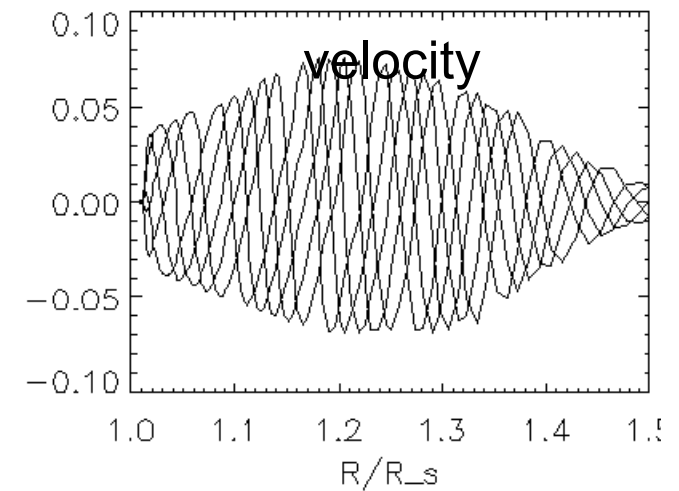
=> Same in hot zone, except for abrupt decrease at  $R > 1.1$



## Same with reduced filtering...

Less frequent filtering:

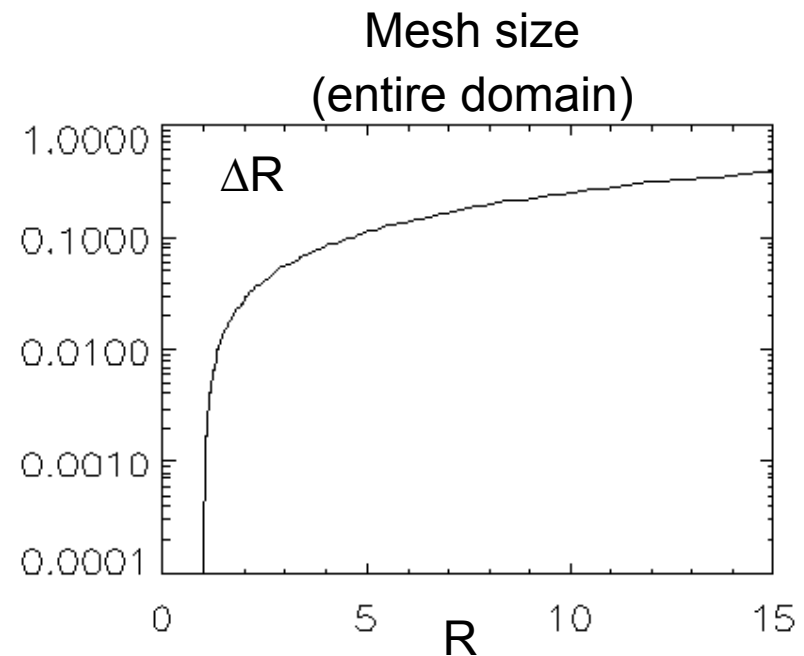
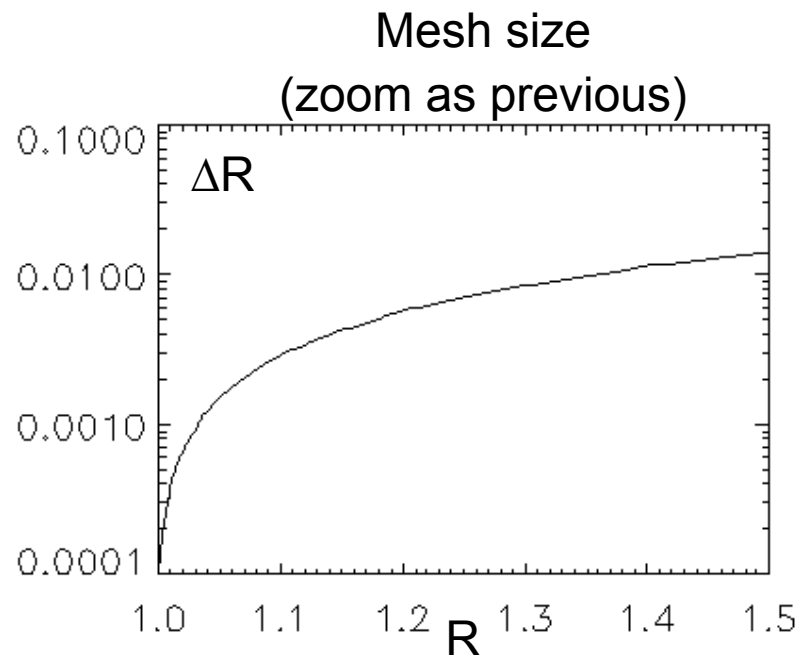
=> wave damping delayed to  
larger radial distance,  
where mesh size  
/wavelength larger than  
1/10.



## sharing 300 grid points...

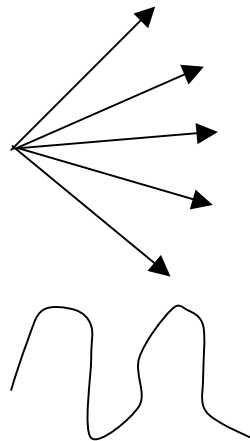
Mesh size has to be small where necessary, but not too small at large distances...

Compromise: ensure correct resolution for waves in region where heating by wave dissipation is required



## Energy equation (1): *adiabatic*

$$DP/Dt = - \gamma P \text{div} u$$



$\text{div} u > 0$  (wind)  
 $\Rightarrow$  systematic adiabatic cooling

Also:  
 $\text{div} u > 0$  and  $< 0$  (pressure wave)  
 $\Rightarrow$  reversible cooling/heating

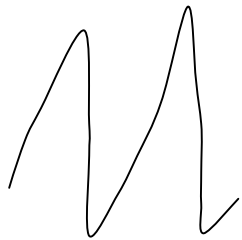
$$(\gamma = 5/3)$$

Adiabatic cooling:  
 $\Rightarrow \Rightarrow \Rightarrow \Rightarrow$

$T_e$

## Energy equation (2): adiabatic + *mechanical heating*

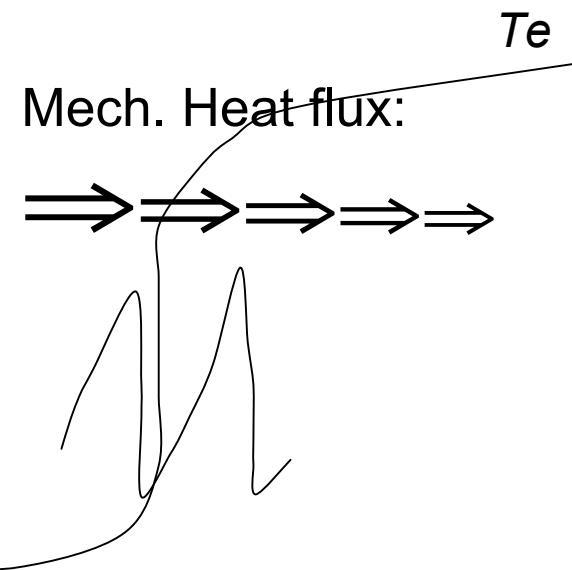
$$DP/Dt = -\gamma P \text{div} u - (\gamma-1) \{ \text{div} F_m \} \quad (\gamma=5/3)$$



- Reality: dissipation of gradients:  
 $\text{div} F_m = \eta J^2 + \mu(\omega^2 + \text{div} u^2)$



- *Model: prescribed flux:*  
 $F_m = f^\circ (R_s/r)^2 \exp(-(r-R_s)/R_s)$



## Energy equation (3): adiab. + mech. heating + *conduction*

$$DP/Dt = -\gamma P \text{div} u - (\gamma-1) \{ \text{div} F_m + \text{div} F_c \} \quad (\gamma=5/3)$$

Conductive heat flux:

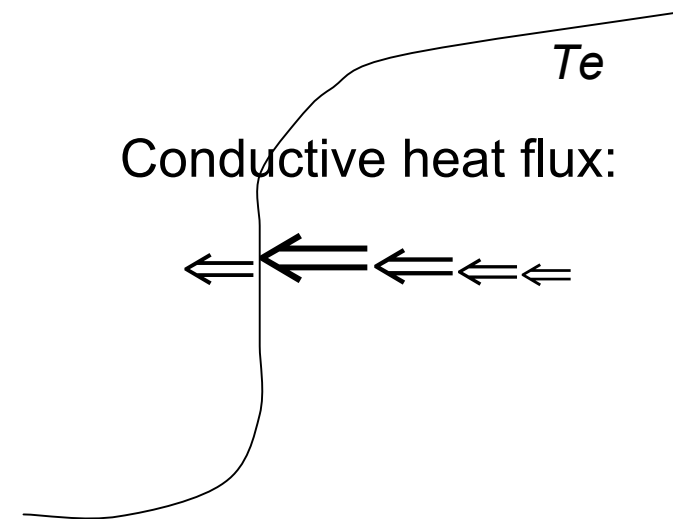
$$F_c = \kappa^\circ T^{5/2} \partial T / \partial r$$

$$\Rightarrow F_c = \kappa^\circ \partial / \partial r (T^{N(T)}) \quad \text{with } 2 \leq N(T) \leq 7/2$$

cf. *Linker Lionello Mikic Amari 2001*

+ additional reduction factor: parameter

$t_c$

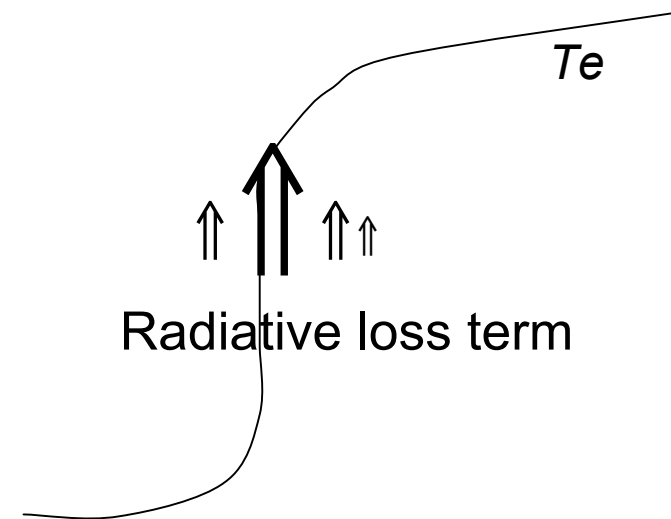
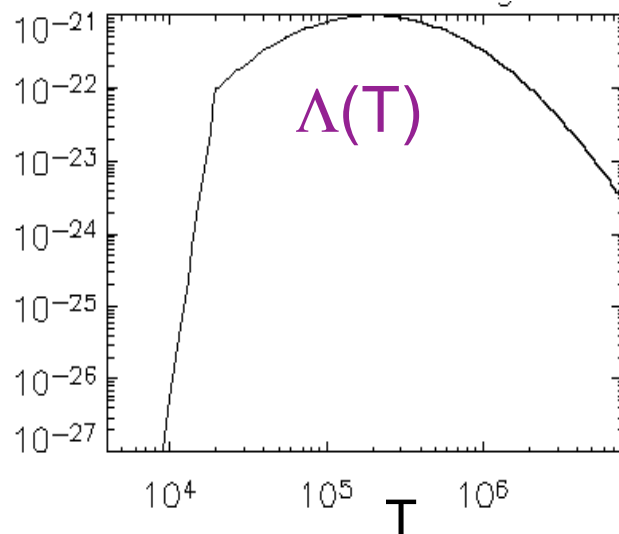


## Energy equation (4): adiab. + mech. heating + conduction + *radiative cooling*

$$DP/Dt = -\gamma P \text{div} u - (\gamma - 1) \{ \text{div} F_m + \text{div} F_c + n^2 \Lambda(T) \} \quad (\gamma = 5/3)$$

**Radiative loss:**

approximate fit to *Rosner Tucker Vaiana 1978*



## Stationary wind: energy balance per particle

Energy equation  
for *temperature* ( $=P/n$ ):

$$D(P/n)/Dt = -(\gamma-1)(P/n)\text{div}u \\ -(\gamma-1) \{$$

$$(1/n)\text{div}F_m$$

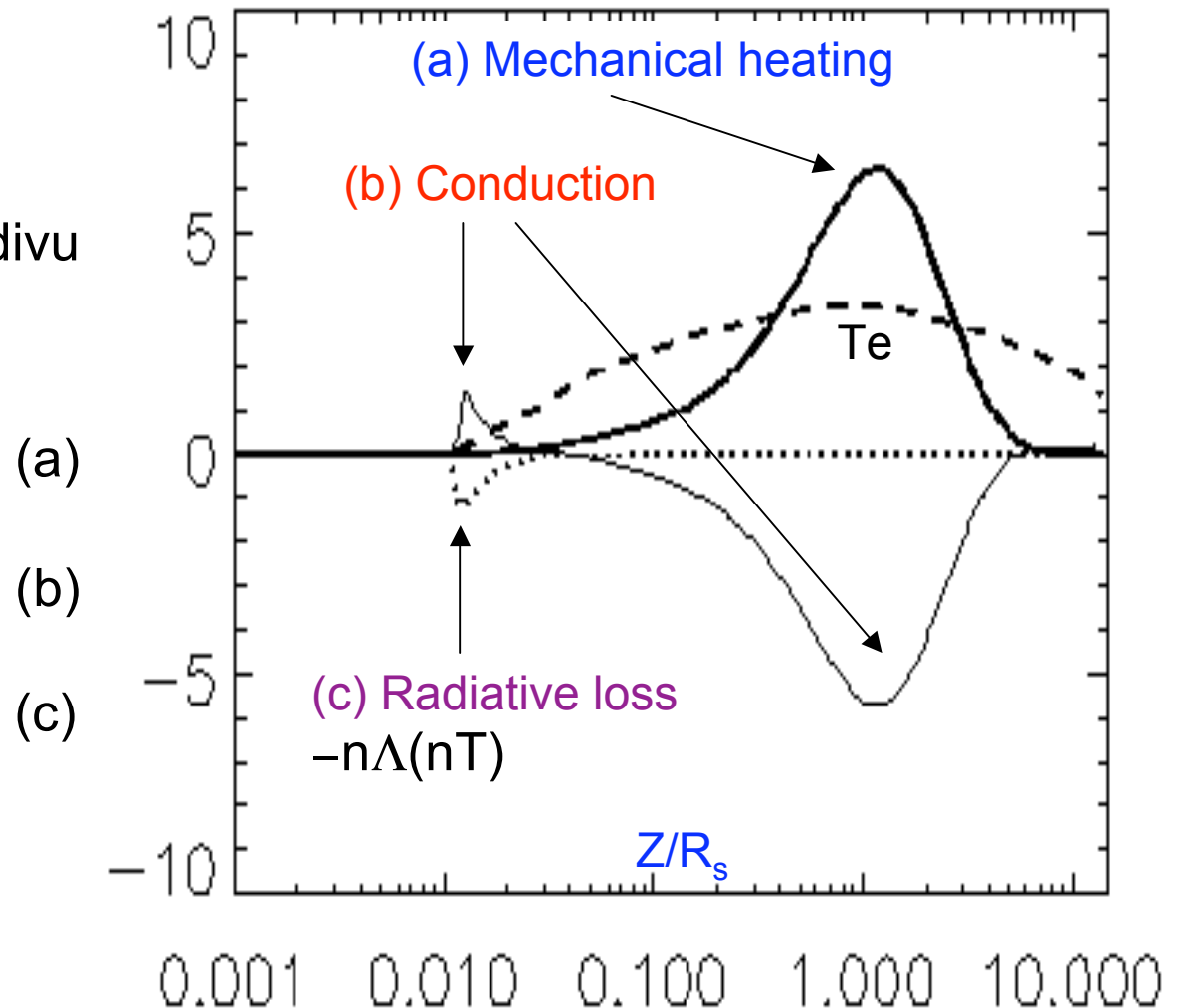
+

$$(1/n)\text{div}F_c$$

+

$$n\Lambda(T)$$

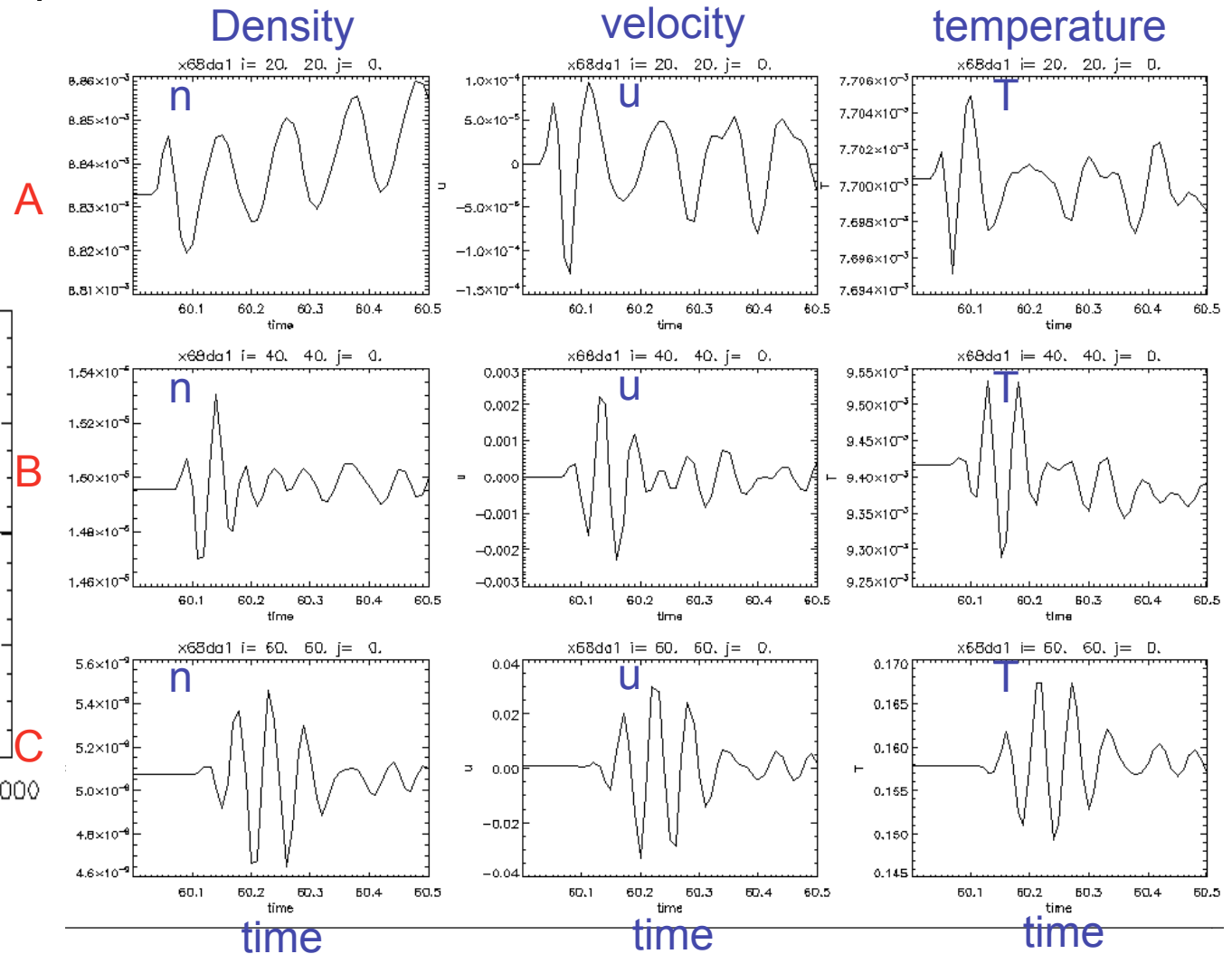
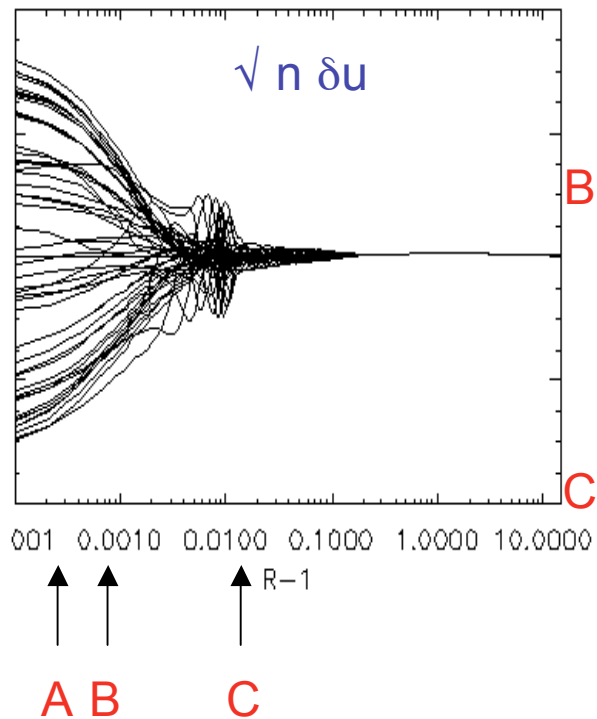
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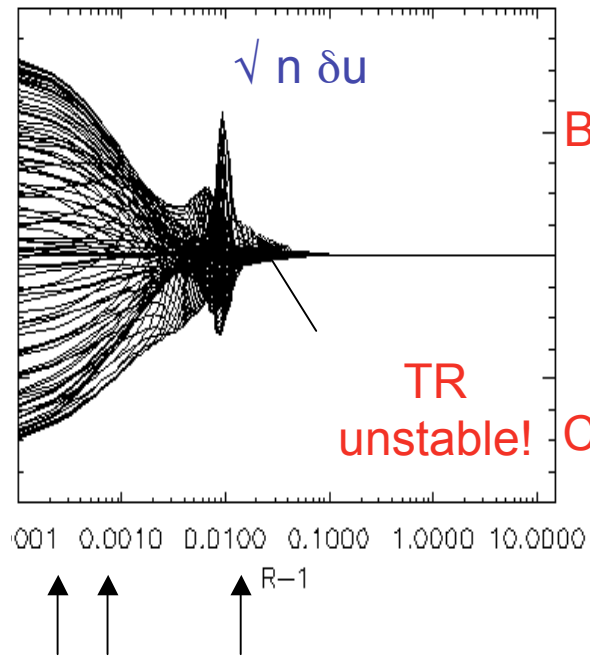
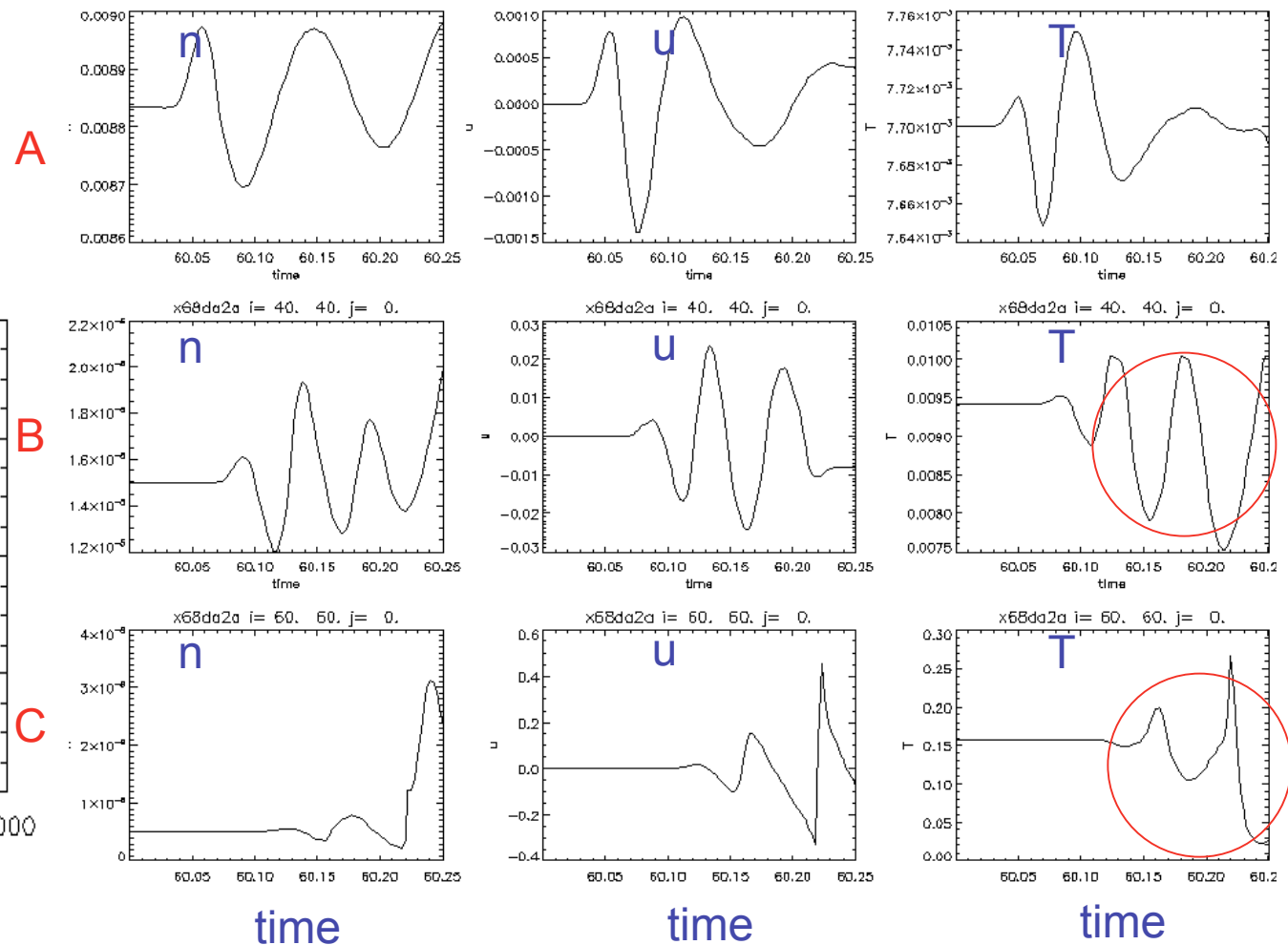
# Detailed response to monochromatic wave (evanescent case)

1. Low amplitude wave (38 cm/s)



# Increasing amplitude => TR unstable

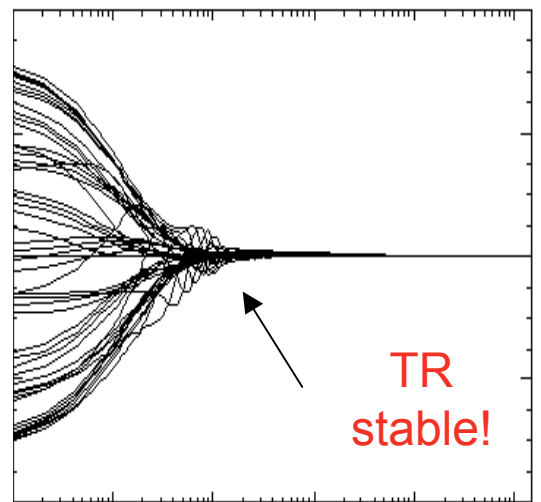
2. Large amplitude evanescent wave (38m/s) => TR instability



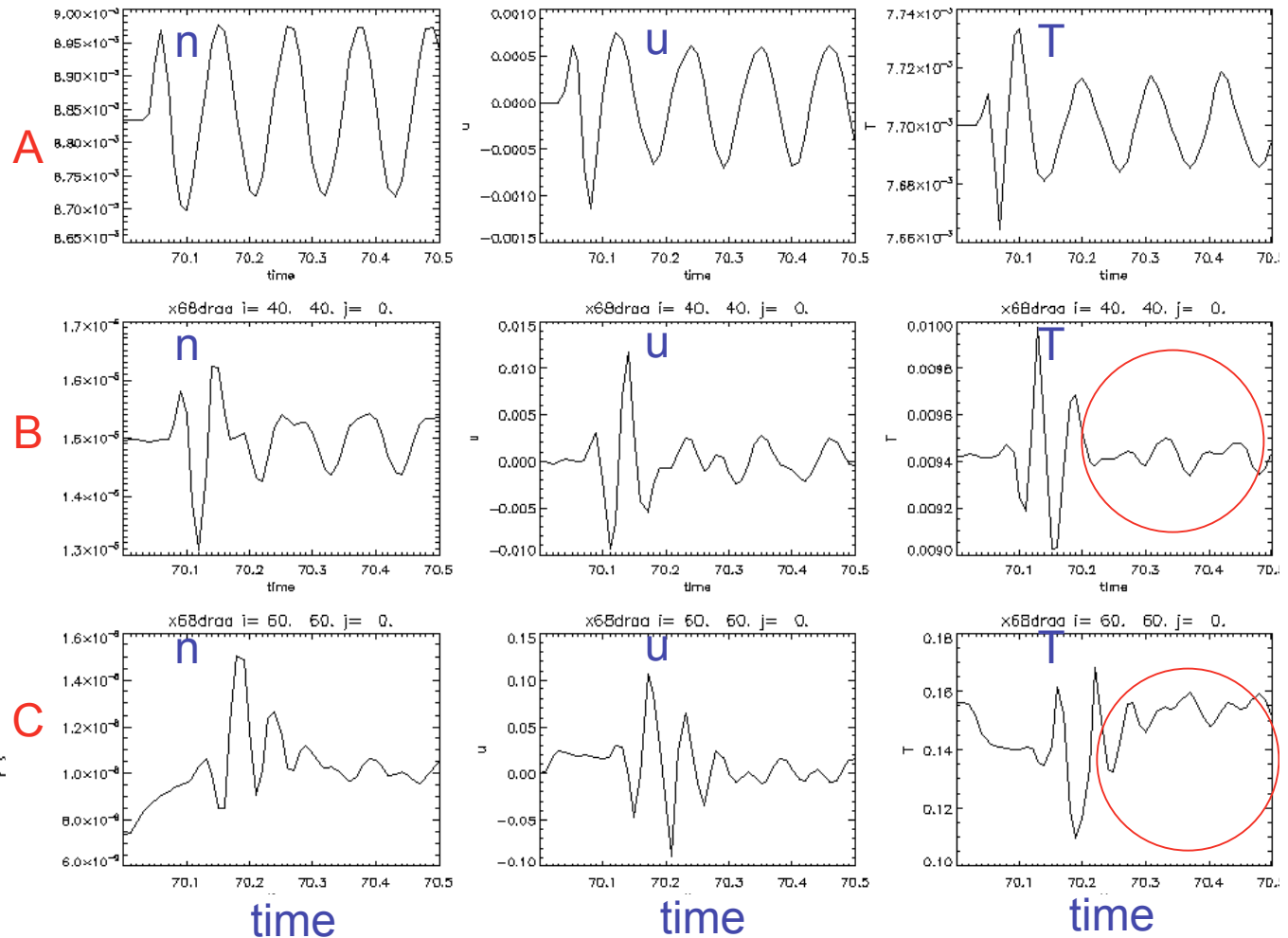
A B C

# Switching to temperature relaxation => TR stable

Coupling  
temperature with  
unperturbed profile  
=> stabilization !

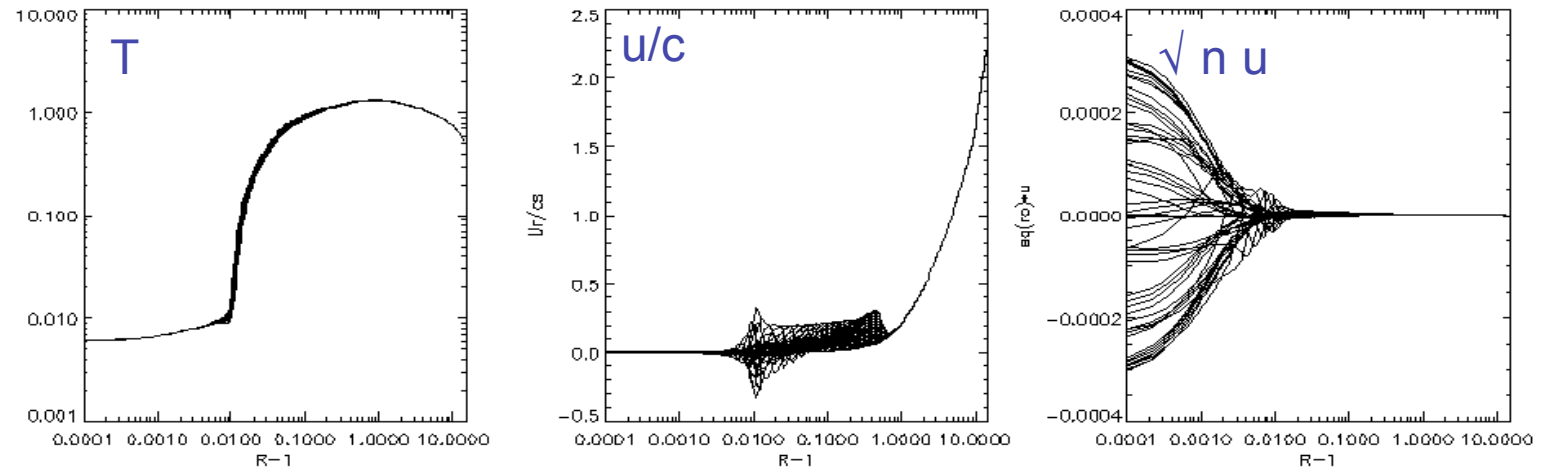


0.01 0.0010 0.0100 0.1000 1.0000 10.000  
↑ ↑ ↑  
A B C

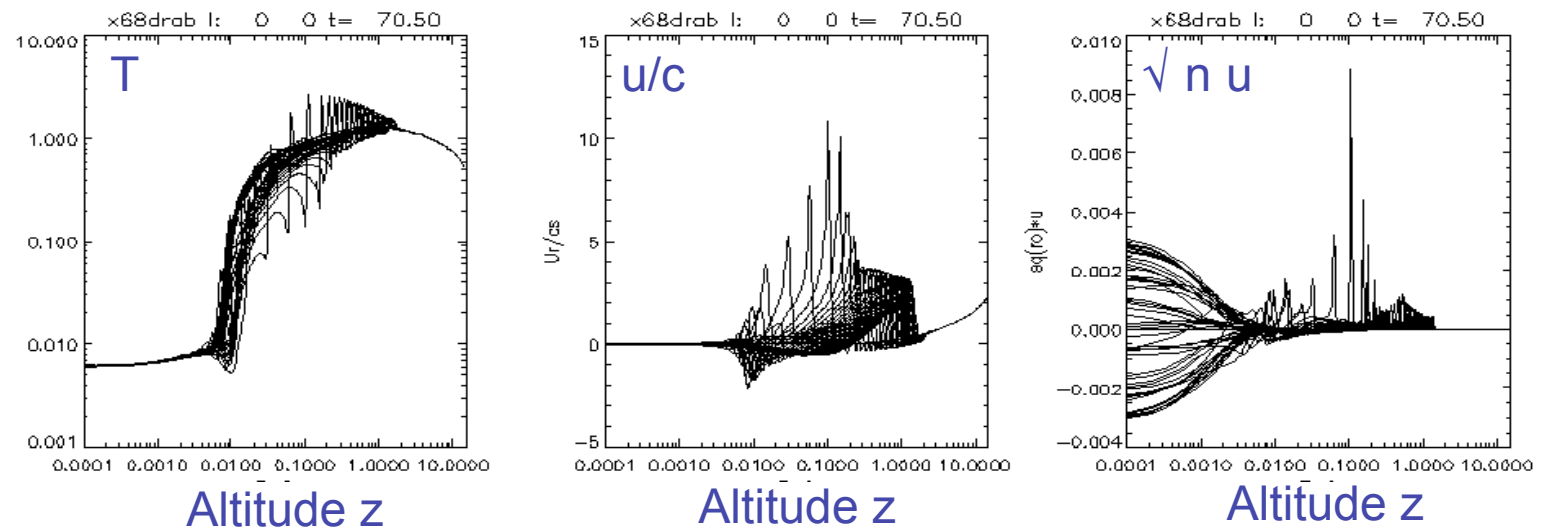


# Temperature relaxation with wave amplitude x 10: still stable

**A** large  
amplitude  
(38m/s)



**B** very large  
amplitude  
(380m/s)



## Discussion (1)

A transition region is built by solving an energy equation with convection, mech. heating, radiative cooling.

The domain includes corona and solar wind up to 15 solar radii, using 300 mesh points.

TR is shown to be unstable to waves with moderate amplitude at frequencies  $\approx$  cut-off frequency.

However, stability is recovered if the temperature is "frozen" by relaxation terms.

Close examination shows that average properties of perturbed TR are very different from unperturbed one: this explains the stabilization by relaxation. (See e.g. turbulent viscosity, turbulent pressure...)

=> A first conclusion is that not only do parameters (as TR size...) matter, but also the energy equation.

## Discussion (2)

How to interpret the TR instability? Two remarks:

- In our energy model the mech. energy flux and the wave flux are independent, so the TR can absorb the wave energy without bound.

In a self-consistent model, the process would clearly saturate.

Particularly interesting are works with self-consistent viscous/ohmic heating (Suzuki & Inutsuka 2005, Gudiksen et Nordlund, 2003) which show a TR never really at rest.

Also, observations show ubiquitous upward and downward flows which could be the 3D form of the 1D instability studied here.

Future work will be to recover self-consistent coronal heating with the same reduced number mesh points (1.5 MHD) and then to generalize to 2D/3D MHD.

## Bibliography

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